



0 0 0 0 0 0 0 0 0 0 0 0 0 0 0



M. Muraca, E. Fable, C. Angioni, P. David, T. Luda, H. Zohm, A. Di Siena & the ASDEX Upgrade Team

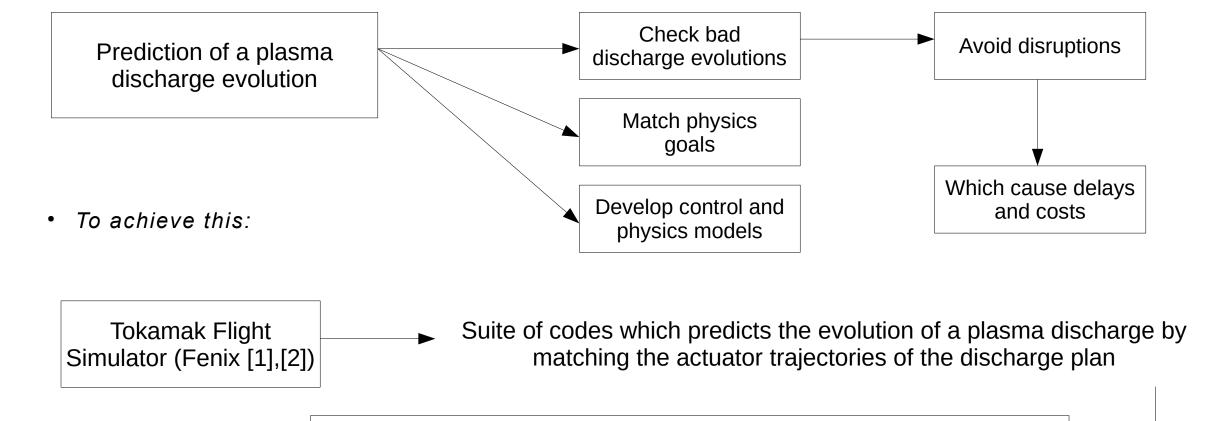


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Goal/Motivation of the study







Interaction between control system, equilibrium and transport

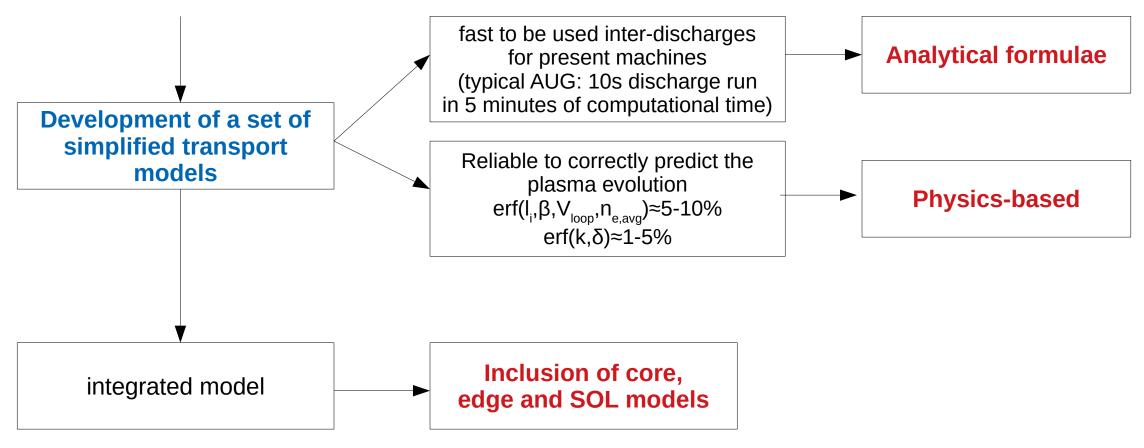
[1] Janky F et al., Fusion Eng. Des. 163 112126 (2021) [2] E. Fable et al., PPCF 64 044002 (2022)

Simplified Plasma Transport Models





• The Asdex Upgrade (AUG) control system is represented in Simulink, the equilibrium is calculated with SPIDER [3], but the plasma physics models are not fully developed.



[3] Ivanov A A et al. 32nd Conf. on Plasma Physics vol 29C (ECA)

Structure of the plasma model





Development of simplified physics-based models for:

- CORE transport, based on analytical coefficients obtained by fitting a TGLF [4] database;
- EDGE pedestal, with L-H transition and simple ELMs average model;
- SOL multispecies density, based on 0-D particle balance between 6 different zones;
- Power exhaust (T_{e.sep}), based on a 2-point model.

[4] Staebler G M et al., Nucl. Fusion 57 066046 (2017)

Core heat transport model





- 15 stationary phases of AUG discharges simulated with TGLF (L-mode, H-mode, I-mode and negative triangularity).
- For every discharge a scan in pedestal height (+-10%) for n_e, T_e and T_i.
- 6 different ρ toroidal coordinates between 0 and 0.9 (around 12600 points). For 1 L-mode discharge points up to ρ_t =1 are included.
- Fitting over gyroBohm normalized TGLF database to match χ_e and χ_i
- Thresholds are taken from literature [5], [6].

IONS

$$\hat{\chi}_{i,ITG} = C \cdot H_{ITG} \left(\frac{R}{L_{Ti}} - \frac{R}{L_{Ti,ITG}} \right)^{\epsilon_{10}} q^{\gamma_q} e^{-\gamma_{\beta_e} \beta_e} k^{-\gamma_k} e^{-\gamma_{imp} (1 - c_I)}$$

[5] A. G. Peeters et al., Phys. Plasmas 12, 022505 (2005)[6] F. Jenko et al., Physics of Plasmas 8, 4096 (2001)

ELECTRONS

$$\hat{\chi}_{e,TEM} = C \cdot H_{TEM} \left(\frac{R}{L_{Te}} - \frac{R}{L_{Te,TEM}} \right)^{\epsilon_{30}} e^{-\gamma_{nu} v} e^{-\gamma_{s} s} e^{-\gamma_{\delta,e} \delta}$$

$$\hat{\chi}_{e,ETG} = C \cdot H_{ETG} \left(\frac{R}{L_{Te}} - \frac{R}{L_{Te,ETG}} \right)^{\epsilon_{20}} q^{\gamma_{q,e}} k^{-\gamma_{k,e}} \qquad \hat{\chi}_{e,TTG} = \max \left\{ 1; f_{t} D_{3} \frac{L_{Te}}{L_{Ti}} \right\} \hat{\chi}_{i,TTG}$$

$$\hat{\chi}_{e} = (1 - f_{t}) \hat{\chi}_{e,ETG} + f_{t} \hat{\chi}_{e,TEM} + \hat{\chi}_{e,TEM} + \hat{\chi}_{e,TTG}$$

Core heat transport model





• Thresholds formulae for micro-instabilities

$$\frac{R}{L_{T_{i,nrg}}} = max \left\{ A_{10} \left(1 + B_{10} Z_{eff} \frac{T_i}{T_e} \right) \left(1 + B_{20} \frac{s}{q} \right) \left(1 - 1.5 f_t^2 \right) \left[1 + 0.3 (k - 1) \right]; A_{20} \frac{R}{L_{ne}} \right\}$$

$$\frac{R}{L_{T_{e,ETG}}} = max \left\{ F_{10} \left(1 + G_{10} Z_{eff} \frac{T_e}{T_i} \right) \left(1 + G_{20} \frac{s}{q} \right) \left(1 - 1.5 f_t^2 \right) \left[1 + 0.3 (k - 1) \right]; F_{20} \frac{R}{L_{ne}} \right\}$$
 [6]

$$\frac{R}{L_{T_{e,TEM}}} = 0.357 \frac{f_t + 0.271}{f_t} \left[4.9 - 1.31 \frac{R}{L_{ne}} + 2.68 s + \log(1 + 20 v) \right]$$
 [5]

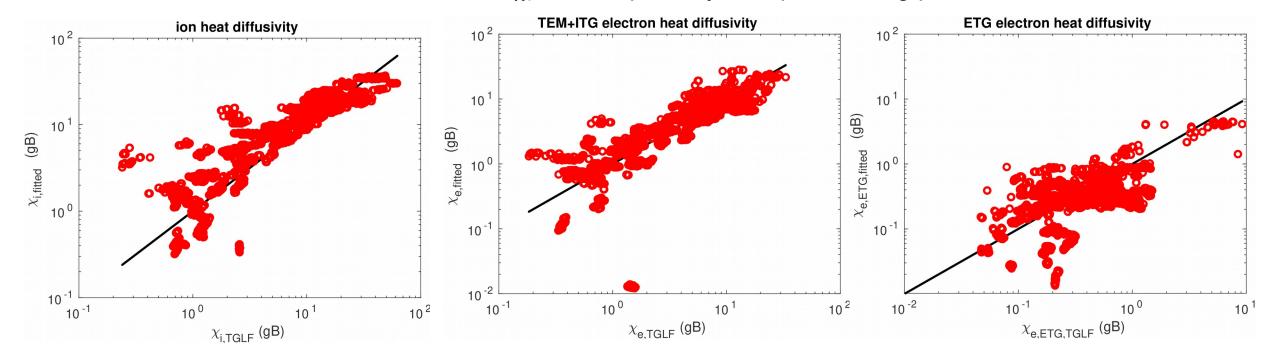
[5] A. G. Peeters et al., Phys. Plasmas 12, 022505 (2005) [6] F. Jenko et al., Physics of Plasmas 8, 4096 (2001)

Core heat transport model

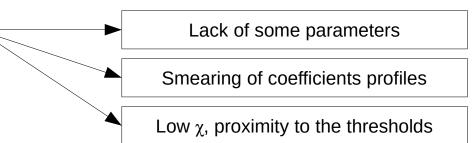




• TEM+ITG and ETG contributions to χ_e fitted separately to improve fitting procedure.



 Scattering of fitted coefficients respect to TGLF due to



Core particle transport





- D=0.96* χ_e has been assumed to match an experimental case.
- Particle pinch is calculated with a heuristic formula:

$$v_{p} = -D_{n} \frac{max \left\{ 0; 0.2 R_{tor} \left| \frac{\partial_{r} T_{e}}{T_{e}} \right| + 0.15 s - \frac{v_{ei}}{15} \right\}}{R_{tor}}$$

EDGE model





PEDESTAL

- Schmidtmayr scaling [7] for L-H transition.
- ELM averaged model, using a critical normalized pressure gradient (Ballooning model) from top of pedestal (ρ_{+} =0.9) outwards:

$$\chi_{e} = C \left(\frac{\beta_{p, top}}{\beta_{p, MHD}} \right)^{4} \qquad \beta_{p, MHD} = 0.686 \sqrt{k} (1 + \delta)^{1.68} q^{1.61} \beta_{p, top}^{0.33} \widehat{n_{e}}^{0.06} w_{p}^{1.29} \quad [8] \qquad \chi_{i} = \chi_{e} + \chi_{i, nc} \quad [9]$$

Particle diffusivity has been assumed equal to $0.03^*\chi$ in H-mode [9].

L-MODE

- Edge in L-mode has been modeled by extending the core model to separatrix.
- During L-mode particle diffusivity is $C^*\chi$, where C was calibrated to 0.1 to match an L-mode phase.

^[8] J. Puchmayr, Optimization of Pedestal Stability on ASDEX Upgrade, IPP report 2020-11

SOL models





1) For the exhaust $(T_{e,sep})$ an analytical formula derived from 2-point model [10] is used:

$$T_{e,sep} = \left(\frac{7}{2} \frac{q_{\parallel} l_{\parallel}^* \pi q_{cyl} R}{k_z k_0}\right)^{\frac{2}{7}}$$

- 2) To give density at the separatrix (n_{sep}) a multispecies SOL particle balance between 6 confining regions has been developed:
- Diffusion is modeled by diffusivities (D_{jk}) and enrichment factors (ε_{jk}) are used to simulate compression factors between confining regions.
- Vacuum pump, gas puffs and plasma from the confined region are treated as local sinks and sources.

$$\frac{\partial N_k}{\partial t} = S_k + P_k + \sum_{j=1, j \neq k}^6 D_{jk} \left(\epsilon_{jk} \frac{N_j}{V_j} - \frac{N_k}{V_k} \right)$$

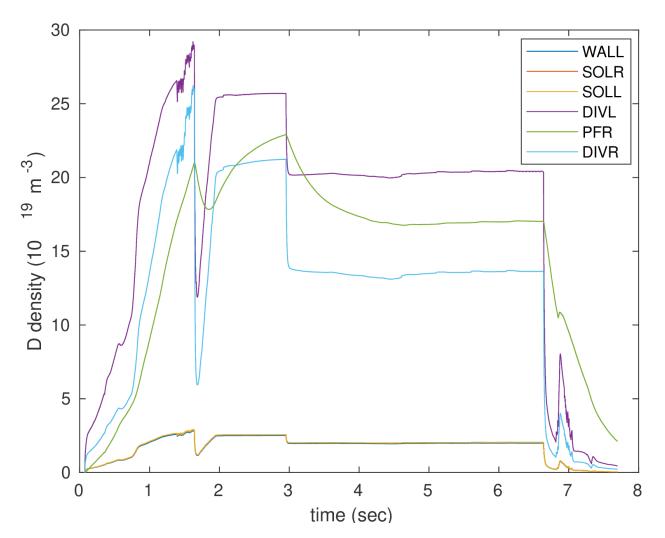
[10] R. J. Goldston et al., PPCF 59 055015 (2017)

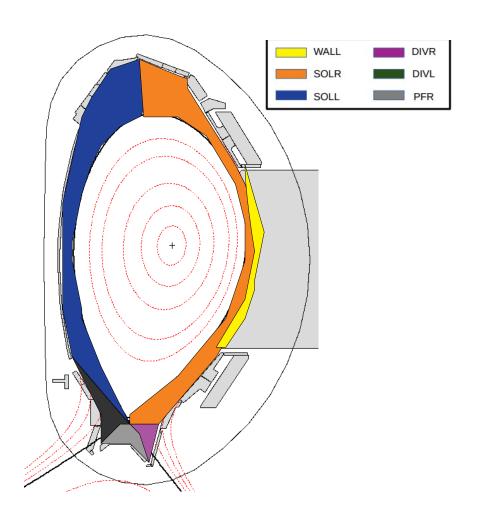
SOL particle balance





Temporal evolution of D density in the 6 regions of the SOL for discharge #40446 in Fenix:





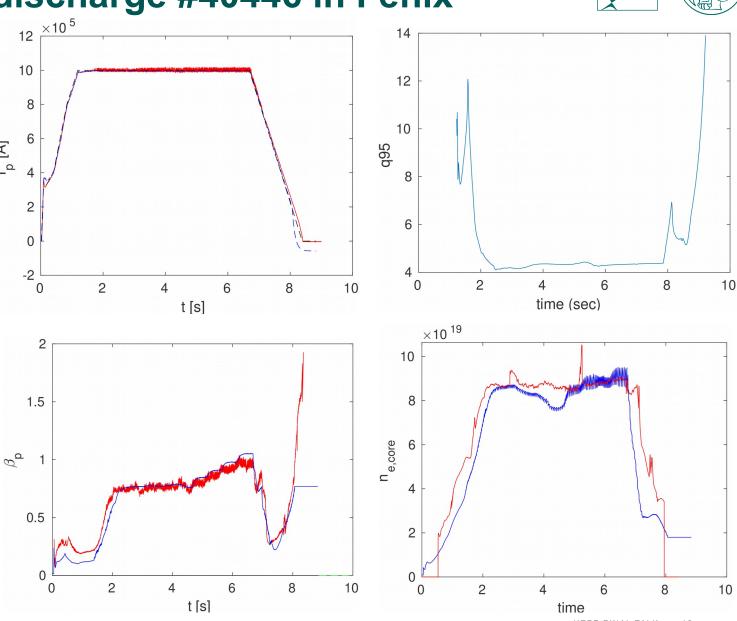
Integrated simulation of discharge #40446 in Fenix





A match of the experimental time traces and profiles for a standard H-mode (#40446) in a Fenix simulation with the fully integrated model has been reached during flattop and ramp-down:



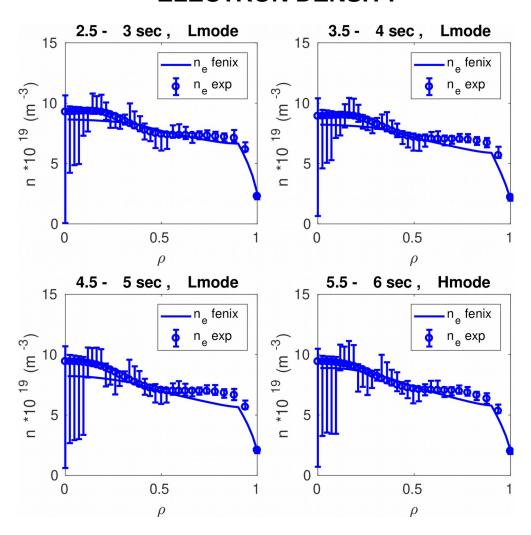


Integrated simulation of discharge #40446 in Fenix

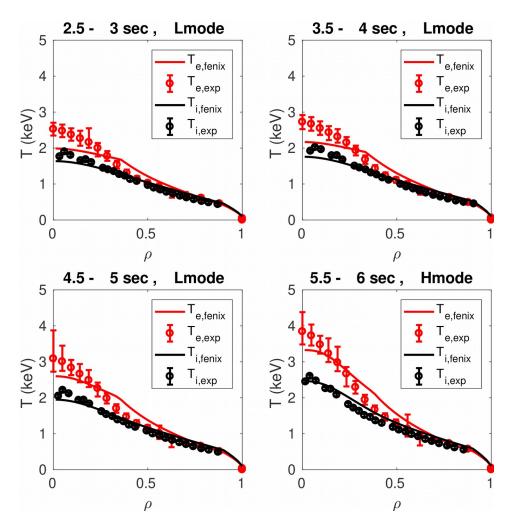




ELECTRON DENSITY



ELECTRON AND IONS TEMPERATURE

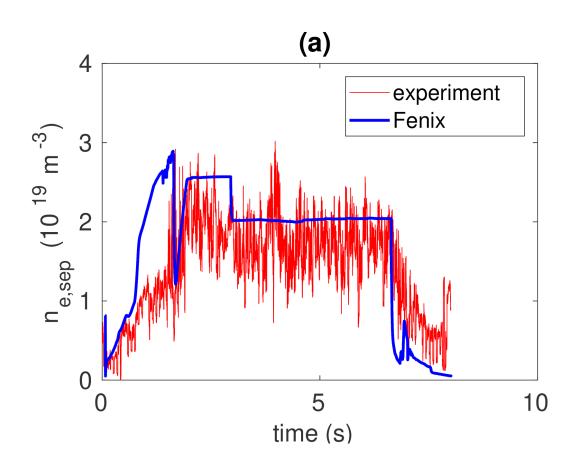


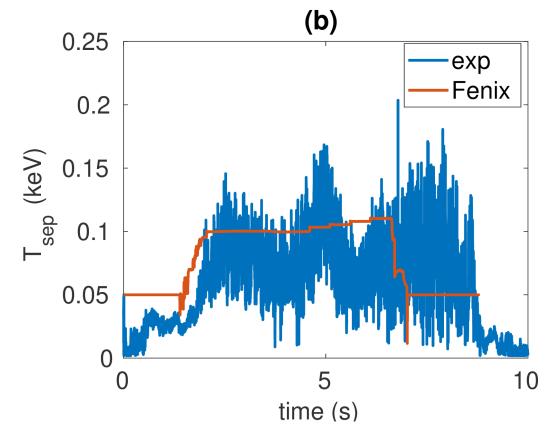
Boundary condition evolution of discharge #40446





Temporal evolution of $n_{e,sep}$ and $Te_{,sep}$ for discharge #40446 of AUG (std Hmode):



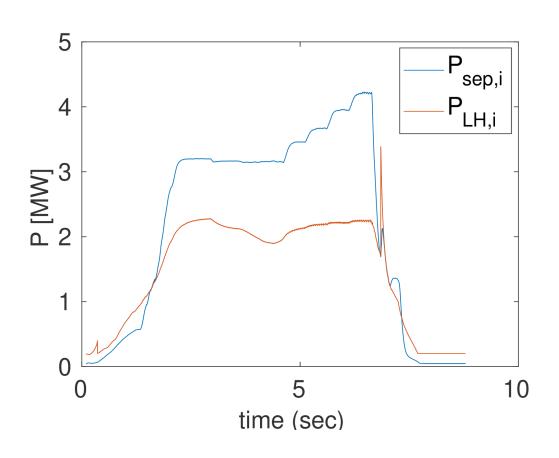


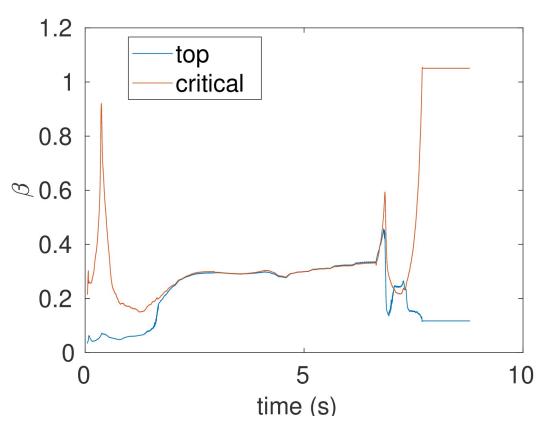
Integrated modeling parameters of discharge #40446





• Ion power at the separatrix and beta time traces for discharge #40446





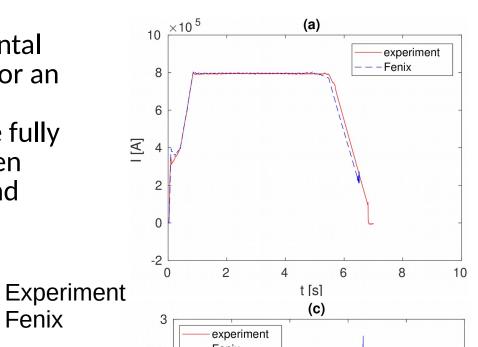
Integrated simulation of discharge #38898 in Fenix

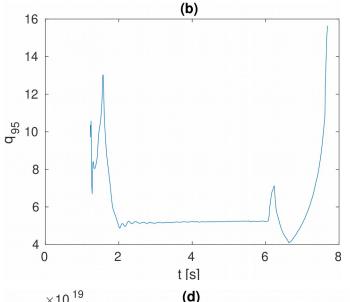


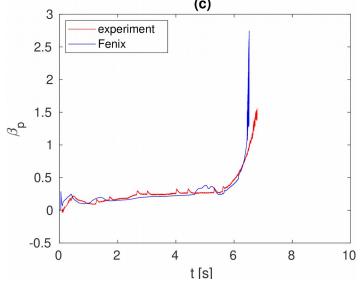


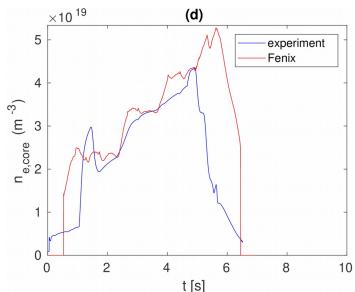
A match of the experimental time traces and profiles for an L-mode (#38898) in a Fenix simulation with the fully integrated model has been reached during flattop and ramp-down:

Fenix







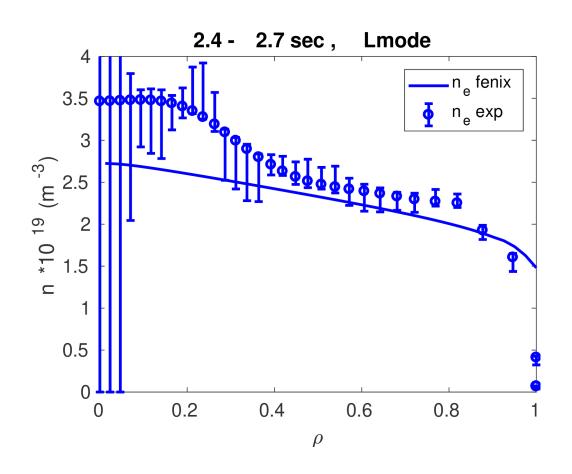


Integrated simulation of discharge #38898 in Fenix

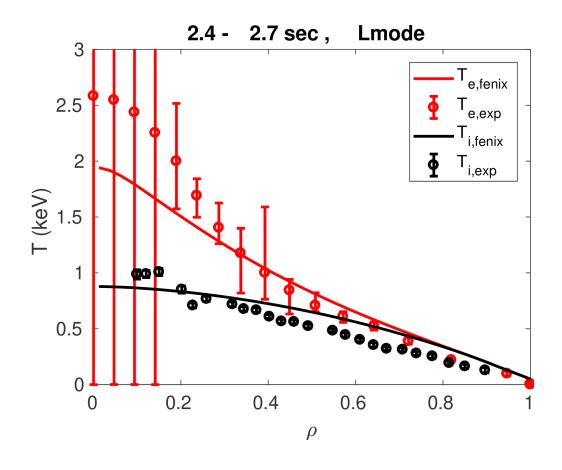




ELECTRON DENSITY



ELECTRON AND IONS TEMPERATURE

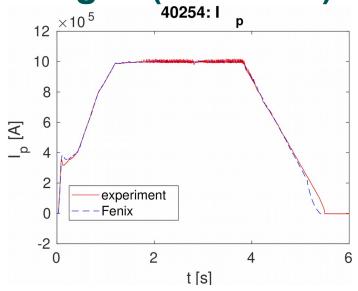


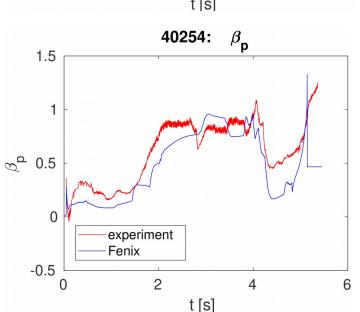
Validation of other discharges (H-modes)

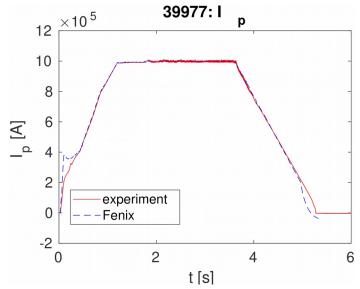


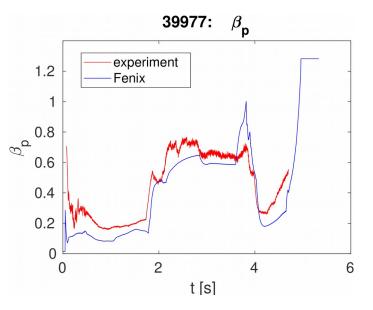


Some other discharges with different densities and heating powers have been validated







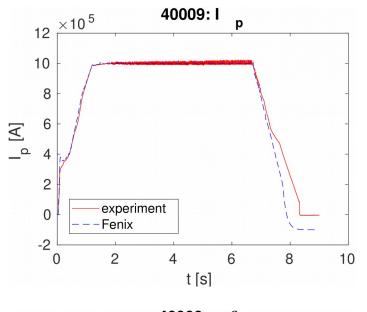


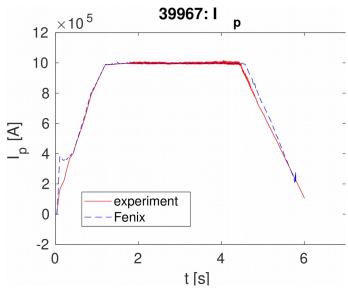
Validation of other discharges (H-modes)

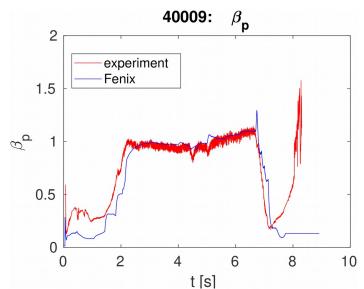


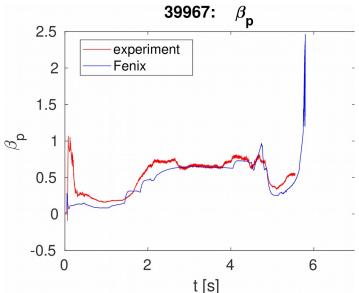


Some other discharges with different densities and heating powers have been validated









Conclusions and Outlook





Conclusions

- A set of simplified transport models for the tokamak flight simulator Fenix has been derived.
- The CORE model consists of analytical formulae which fit a TGLF database.
- The EDGE pedestal model is based on an L-H transition and an ELMs averaged transport.
- SOL models give the boundary conditions of temperature and density at the separatrix respectively through a 2-point model and a particle balance.
- Using these models, the experimental trajectories of 5 AUG standard H-mode and 1 L-mode have been matched in Fenix during the flat top and the ramp-down.

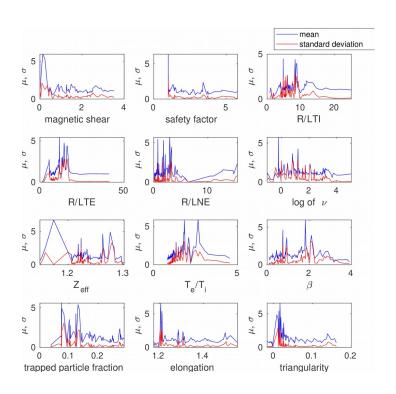
Future Work

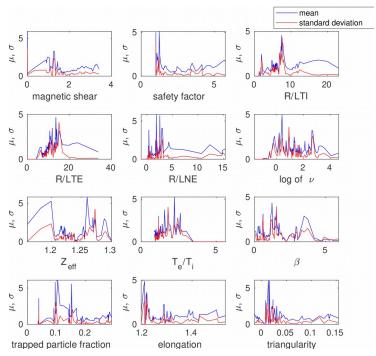
- Expansion of physics models (detachment, core particle transport, MHD).
- Validation of Fenix over a wide range of experimental scenarios.
- Generalization of physics models for different machines.

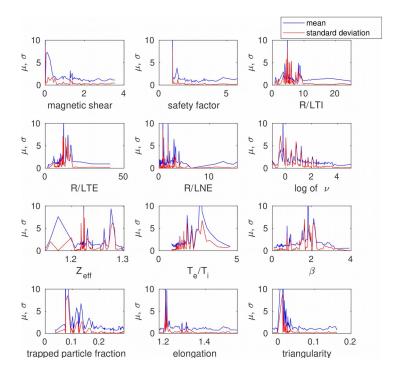




• Standard deviations of transport coefficients depending on different fitting parameters











Diffusion coefficients in the SOL model

$$D_{\parallel}$$
 = 0.1 $\frac{Ma}{L_{par,sep}}$

$$D_{12} = 0.5 D_{\perp}$$

$$D_{10} = 0.03 D_{\perp}$$

$$D_{12} = 0.5 \, D_{\perp}$$
 $D_{10} = 0.03 \, D_{\perp}$ $D_{23} = D_{34} = D_{26} = 1000 \, D_{\parallel}$

$$D_{\perp} = \frac{0.05 \, v_{sep}}{(R_w - R_{omp})^2}$$

$$D_{45} = D_{56} = 0.1$$
 $D_{16} = 0$

$$D_{16} = 0$$

Enrichment factors in the SOL

$$\epsilon_{12} = \epsilon_{23} = \epsilon_{45} = \epsilon_{16} = \epsilon_{56} = 1$$

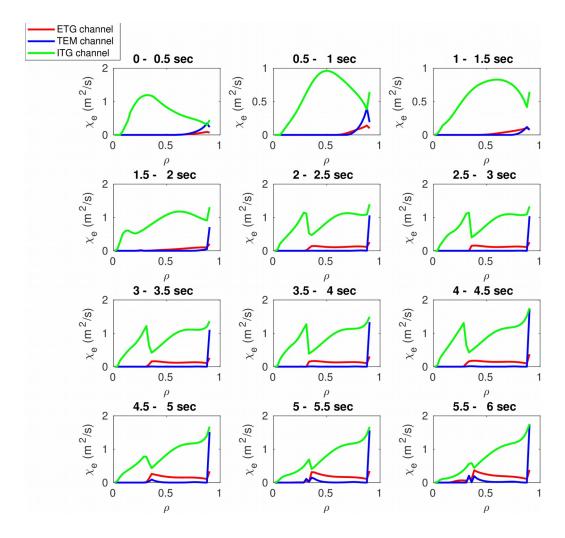
$$\epsilon_{34}=10$$

$$\epsilon_{26} = 5 \max \left[1; \min \left[20; 0.2 n_d^{0.67} \right] \right]$$





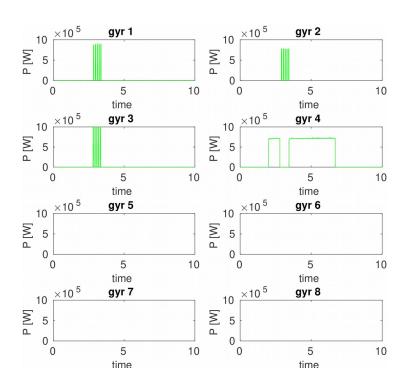
• Contribution of different micro-instabilities to transport and time traces of discharge #40446

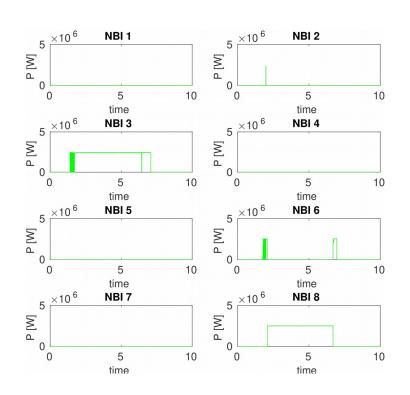


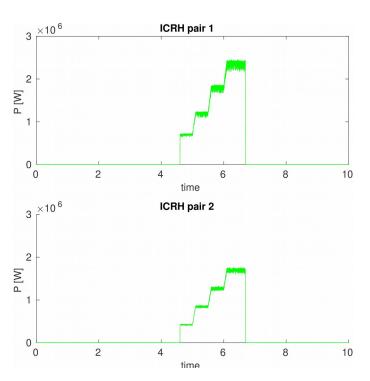




• Heating powers of discharge #40446



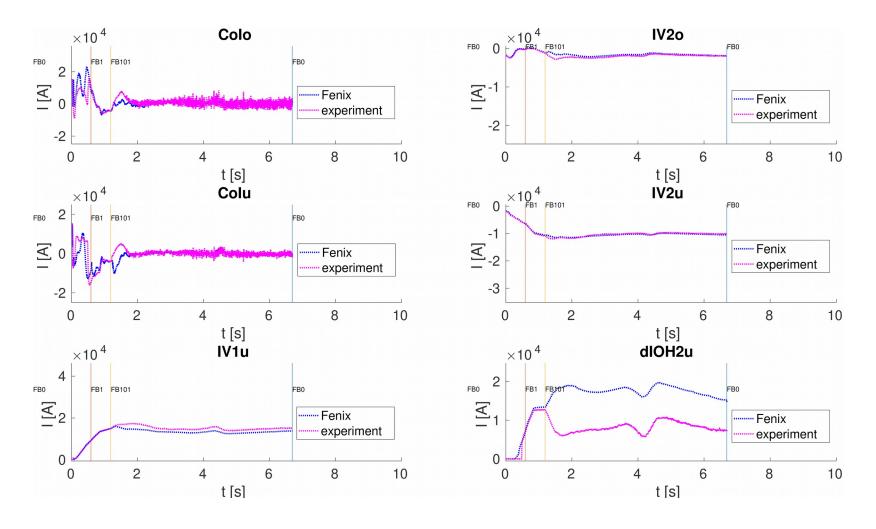








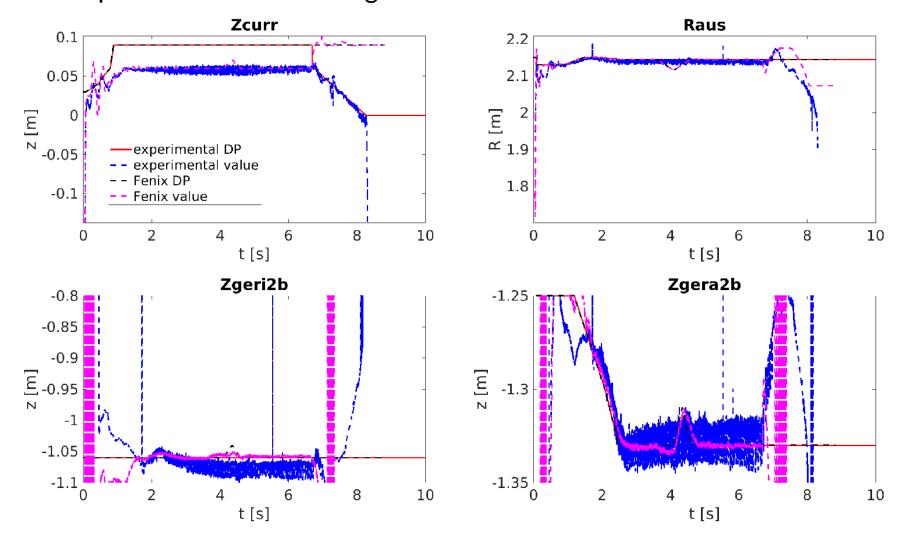
Actuators (stabilizing coil currents) of discharge #40446







Position and shape feedback of discharge #40446







Average density feedback of discharge #40446

