



Particle Balance Model for sub-divertor and divertor

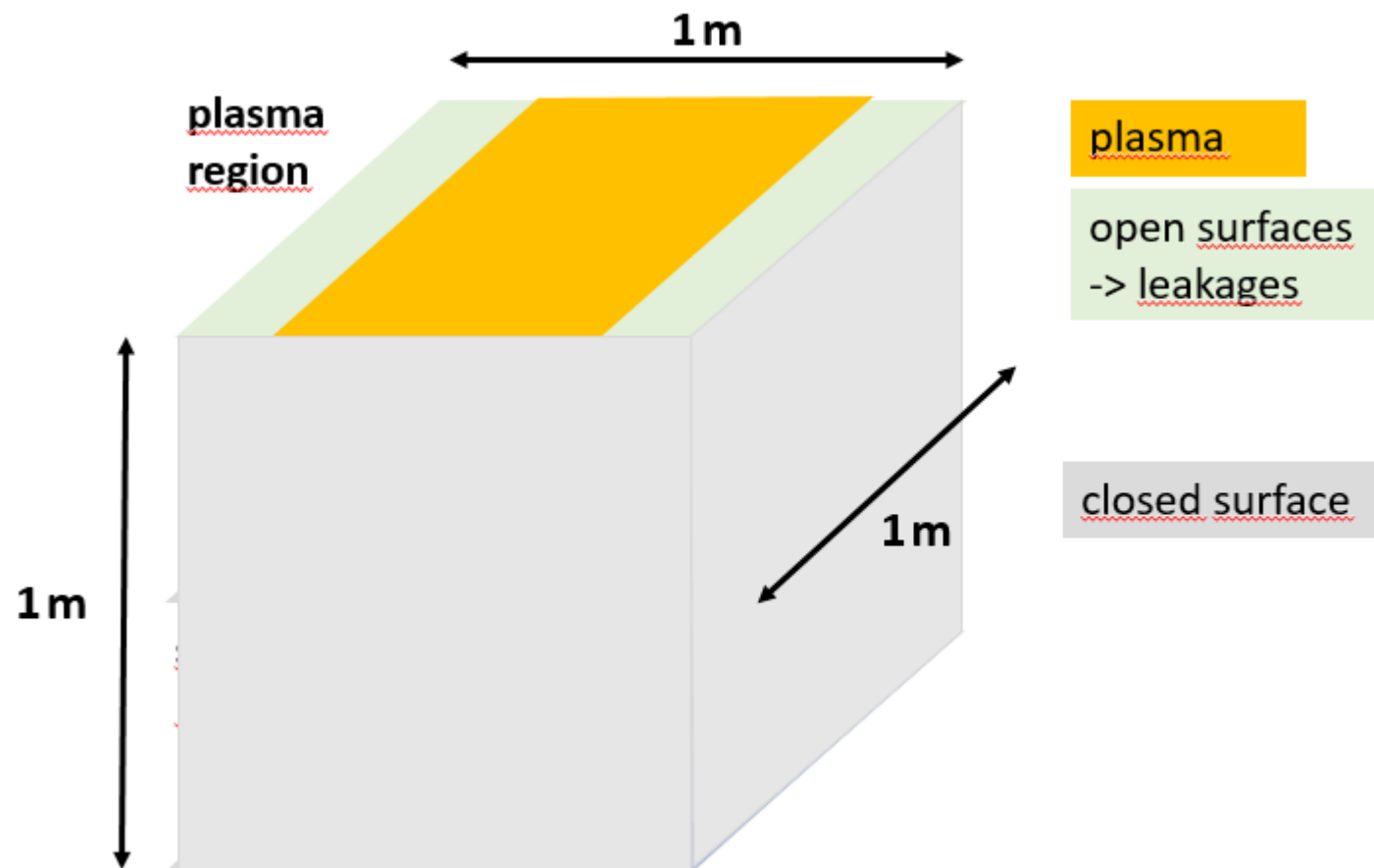
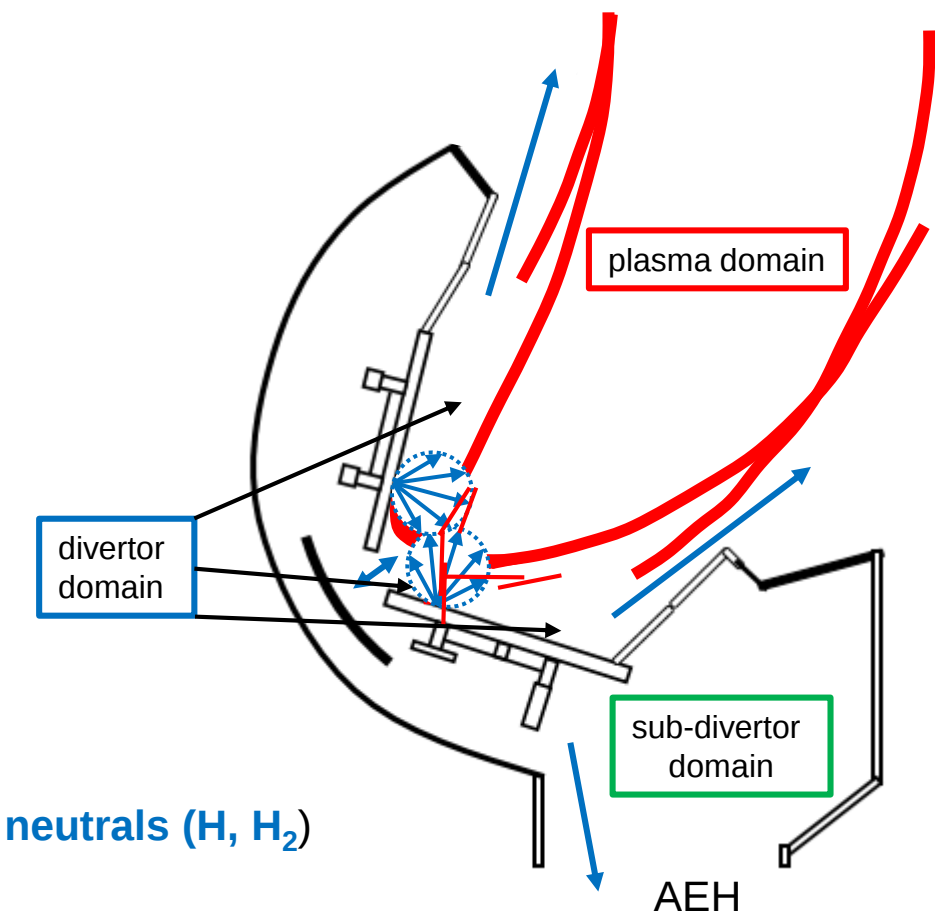


Dirk Naujoks

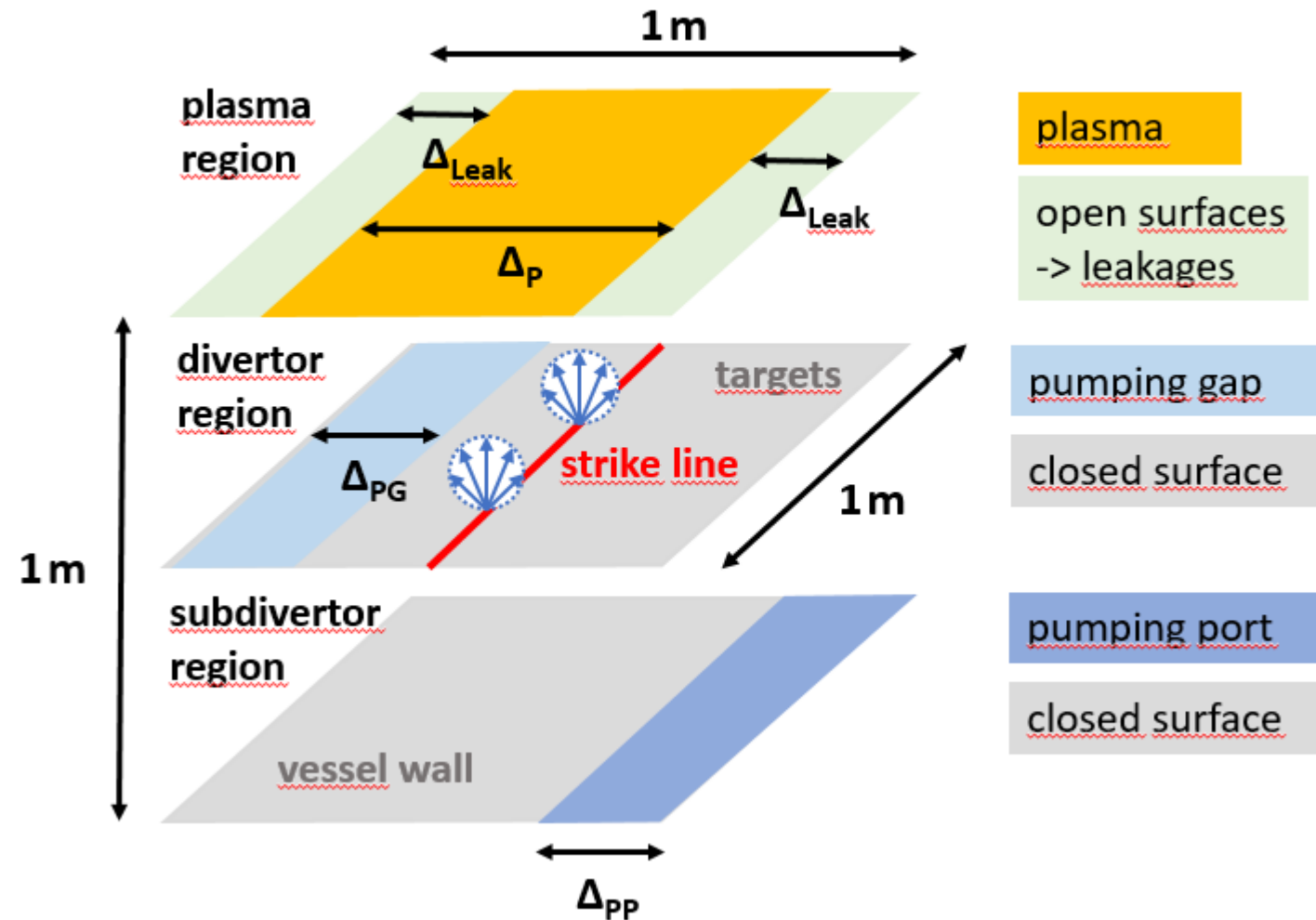
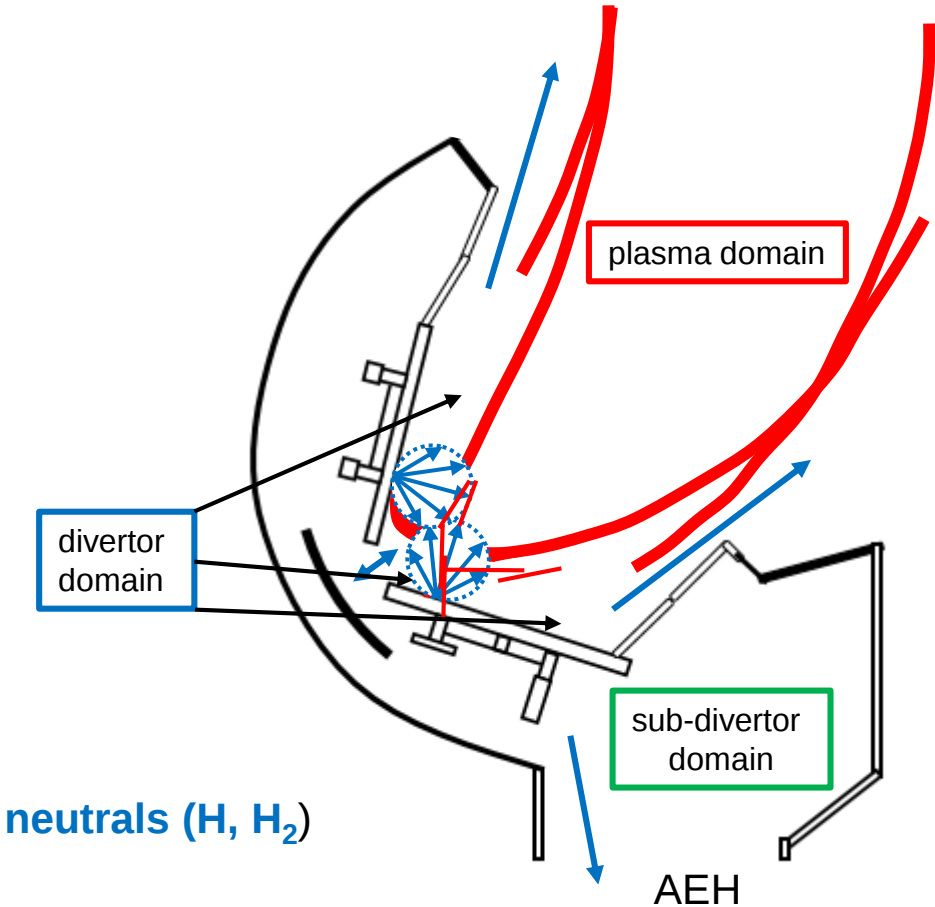


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Particle balance subdivertor/divertor



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Particle balance subdivertor/divertor - parameters

input parameters:

Γ_{H_2} [molec./s], $T_{H_2} = 300$ K

Δ_{Leak} [m]

$\Delta_{Leak}/\Delta_P = \Delta_{Leak}/(1-2\Delta_{Leak})$, A_{Leak} [m²]

Δ_{PG} [m], A_{PG} [m²]

Δ_{pp} [m],

L_{BOX} [m] = 1 m

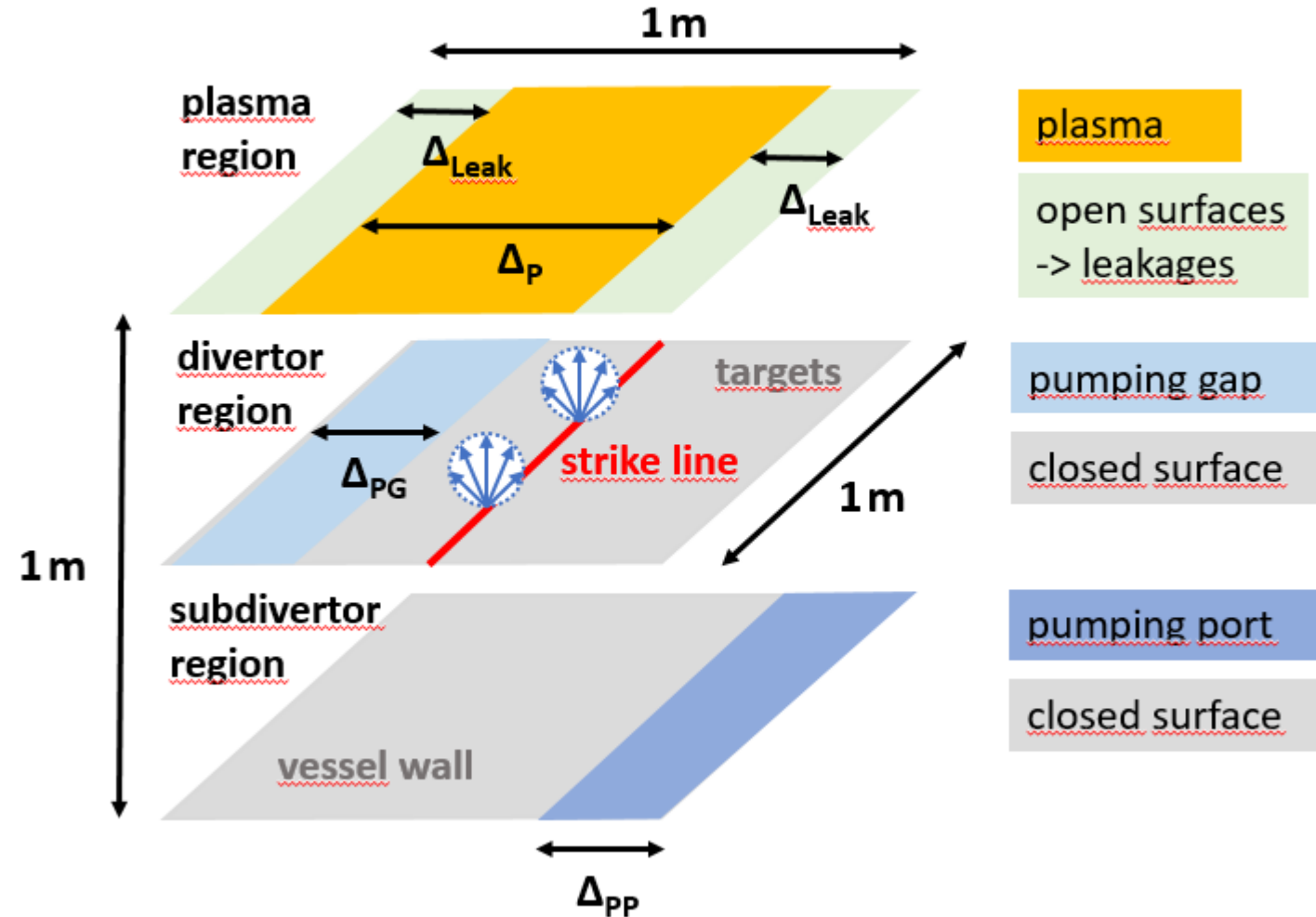
$A_{strike} = 0.1$ m

$V_{sub} = L_{BOX} L_{BOX} (L_{BOX}/2)$

$V_{div} = L_{BOX} L_{BOX} (L_{BOX}/2)$

output parameters:

p_{sub} and p_{div}



Particle balance subdivertor/divertor – steady state condition

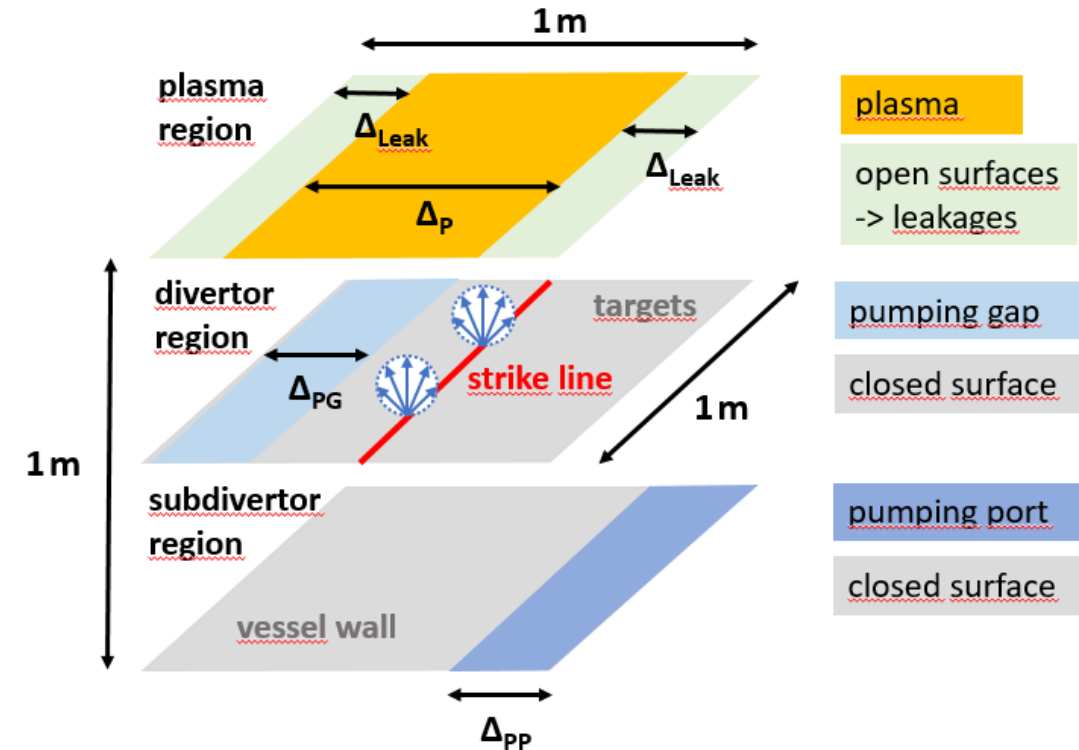
$$\frac{dp_{sub}}{dt} = -p_{sub} \frac{S_{eff}}{V_{sub}} - \frac{C_{con}(p_{sub} - p_{div})}{V_{sub}} = 0$$

$$C_{con} = \frac{1}{4} A_{PG} \bar{v} = \frac{1}{4} A_{PG} \sqrt{8k_B T_{H_2} / (\pi m_{H_2})}$$

$$\frac{dp_{div}}{dt} = \frac{\frac{dN_{H_2}}{dt} \cdot k_B T_{H_2}}{V_{div}} - \frac{q_{pV}^{Leak}}{V_{div}} - \frac{C_{con}(p_{div} - p_{sub})}{V_{div}} = 0$$

$$dN_{H_2}/dt = \Gamma_{pl}/2$$

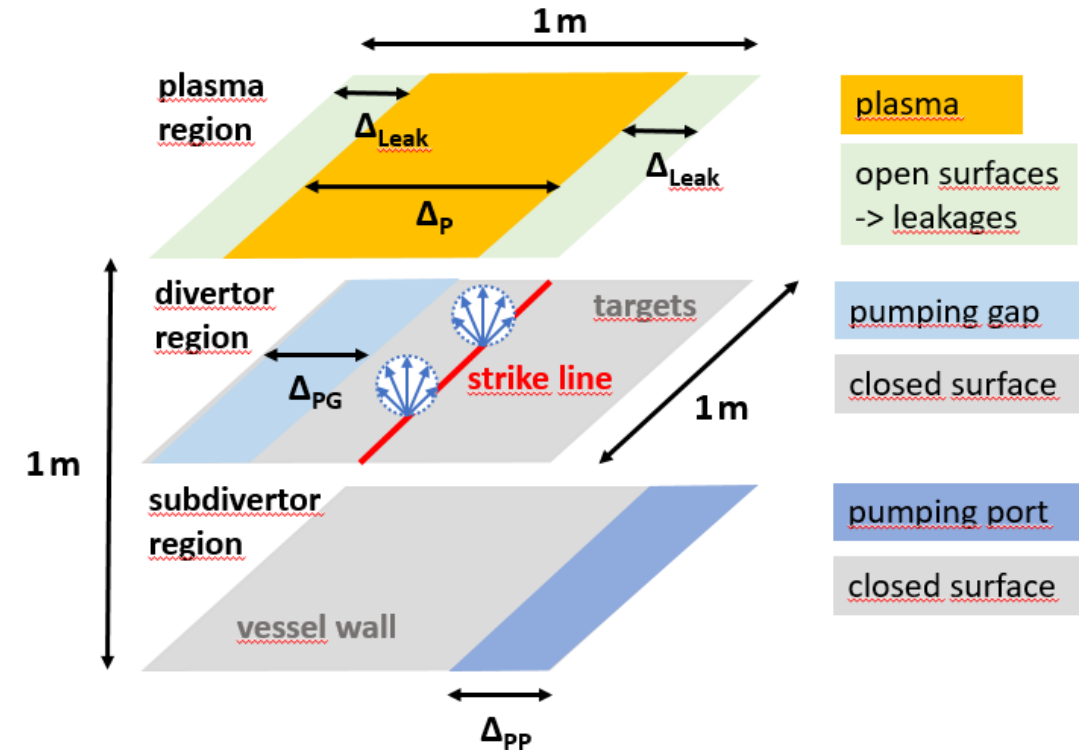
$$q_{pV}^{Leak} = A_{leak} p_{div} \sqrt{k_B T_{H_2} / (2 \pi m_{H_2})}$$



Particle balance subdivertor/divertor – results

$$p_{sub} = p_{div} \frac{C_{con}}{C_{con} + S_{eff}}$$

$$p_{div} = \frac{\Gamma_{pl} \sqrt{\pi m_{H_2} k_B T_{H_2} / 2}}{A_{leak} + A_{PG} S_{eff} / \left(A_{PG} \sqrt{\frac{k_B T_{H_2}}{2\pi m_{H_2}}} + S_{eff} \right)}$$

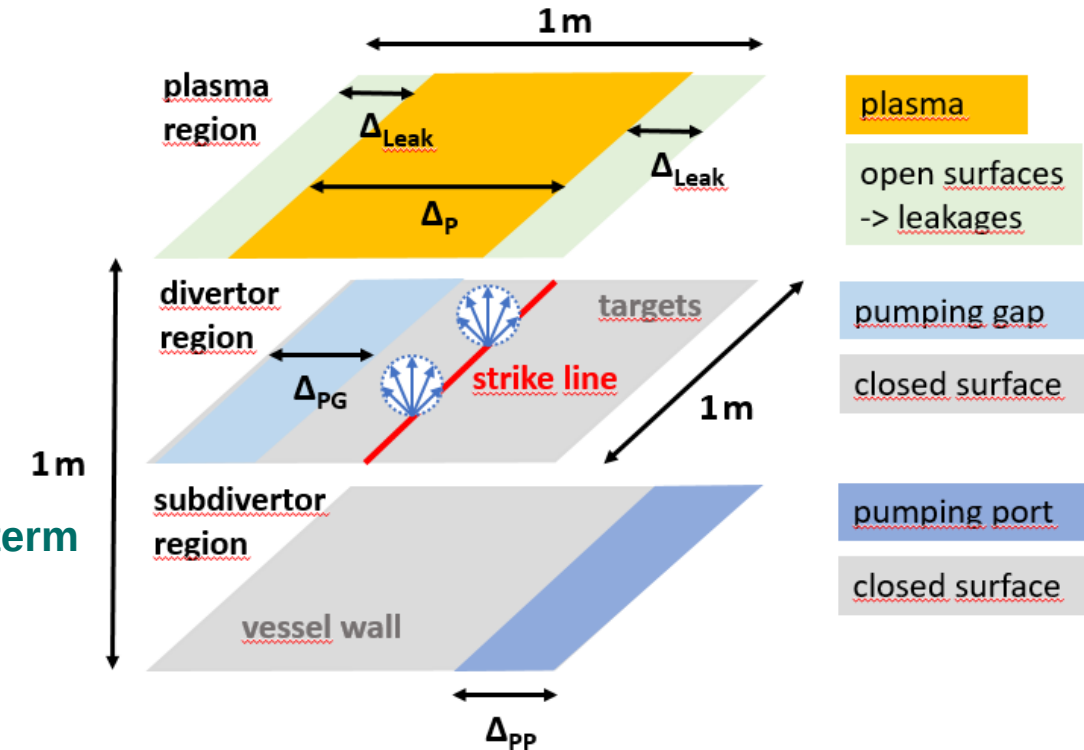


Particle balance subdivertor/divertor – dependences

$$p_{sub} = p_{div} \frac{C_{con}}{C_{con} + S_{eff}} \quad C_{con} \gg S_{eff}$$

$$p_{div} = \frac{\Gamma_{pl} \sqrt{\pi m_{H_2} k_B T_{H_2} / 2}}{A_{leak} + A_{PG} S_{eff} / \left(A_{PG} \sqrt{\frac{k_B T_{H_2}}{2\pi m_{H_2}}} + S_{eff} \right)}$$

first term is usually 100 times larger than the second term



$N_e = 3.000000e+19 [m^{-3}]$, $T_e = T_i = 3.000000e+01 [eV]$, $\text{angle} = 5.235988e-02 [rad]$, $cs = 7.578555e+04 [m/s]$

$A_{PG} = 1.420000e-01 [m^2]$, $A_{Leak} = 7.100000e-01 [m^2]$, $A_{strike} = 1.000000e-01 [m^2]$

$C_{con} = 6.331751e+01 [m^3/s]$, $S_{eff} = 3.000000e+00 [m^3/s]$

$p_{sub} = 7.435151e-04 [mbar]$, $p_{div} = 7.787430e-04 [mbar]$

p_{div} in case of no leakage = $8.685257e-02 [mbar]$